

# A sliding-mode-controlled rectification method for electric wheelchair wireless charging

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## Abstract

This article proposes a sliding-mode-controlled rectification method to address charging current fluctuations caused by coupling coil misalignment or distance variations in electric wheelchair applications. Firstly, a circuit model is established based on a dual-side inductor-capacitor-capacitor (LCC) resonant compensation network, elucidating the constant-current characteristics of the rectifier input. Subsequently, the operational modes of controllable rectification are analyzed to demonstrate the feasibility of closed-loop control. A sliding-mode-control-based constant-current output control strategy is then proposed and mathematically modeled. Simulation results show that sliding mode control (SMC) is significantly superior to proportional-integral (PI) control. Finally, a 135 W-level experimental platform for electric wheelchair wireless charging is constructed. Comparative experiments between SMC and traditional PI control reveal that when the mutual inductance coefficient disturbance increases by 40%, both control methods maintain 5 A current output, but the SMC reduces adjustment time by approximately 68%. Experimental results verify that the proposed sliding-mode-controlled rectification system for electric wheelchair wireless charging exhibits enhanced robustness and rapid dynamic response characteristics.

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## Introduction

In recent years, intensified population aging has amplified the demand for electric wheelchairs among mobility-impaired elderly and disabled individuals. Conventional electric wheelchairs rely on wired charging systems, which pose operational challenges and safety risks for users with limited mobility. Wireless Power Transfer (WPT) technology, recognized for its flexibility, convenience, safety, and reliability, has emerged as an inevitable solution for wheelchair charging<sup>[1–5]</sup>. However, dynamic postural adjustments (e.g., reaching movements or sudden standing/sitting) induce variable mechanical loads on wheelchairs, causing coupling coil misalignment or distance variations that compromise WPT efficiency and stability<sup>[6–8]</sup>.

The control strategies of typical WPT are primarily categorized into primary-side phase-shift modulation and secondary-side DC-DC regulation. The primary-side approach utilizes phase-shifted full-bridge topology for power transfer adjustment, but necessitates real-time communication modules that escalate system complexity<sup>[9–11]</sup>. Conversely, the secondary-side methodology employs Buck/Boost converters for voltage regulation, which, while simplifying control architecture, incurs efficiency degradation from supplementary power conversion stages and introduces cost increments<sup>[12,13]</sup>. Both methodologies exhibit inherent trade-offs among three critical performance metrics: system efficiency, implementation cost, and spatial utilization effectiveness.

The proportional-integral-derivative (PID) algorithm's inherent hysteresis limits adaptability in scenarios demanding rapid dynamic response and disturbance resilience<sup>[14]</sup>. While model predictive control (MPC) offers superior optimization capabilities, its real-time implementation in high-frequency systems remains constrained by computational complexity<sup>[15]</sup>. Robust control methods address uncertainties through conservative designs, often resulting in sub-optimal dynamic performance<sup>[16]</sup>. In contrast, sliding-mode-control (SMC) demonstrates superior robustness and transient response

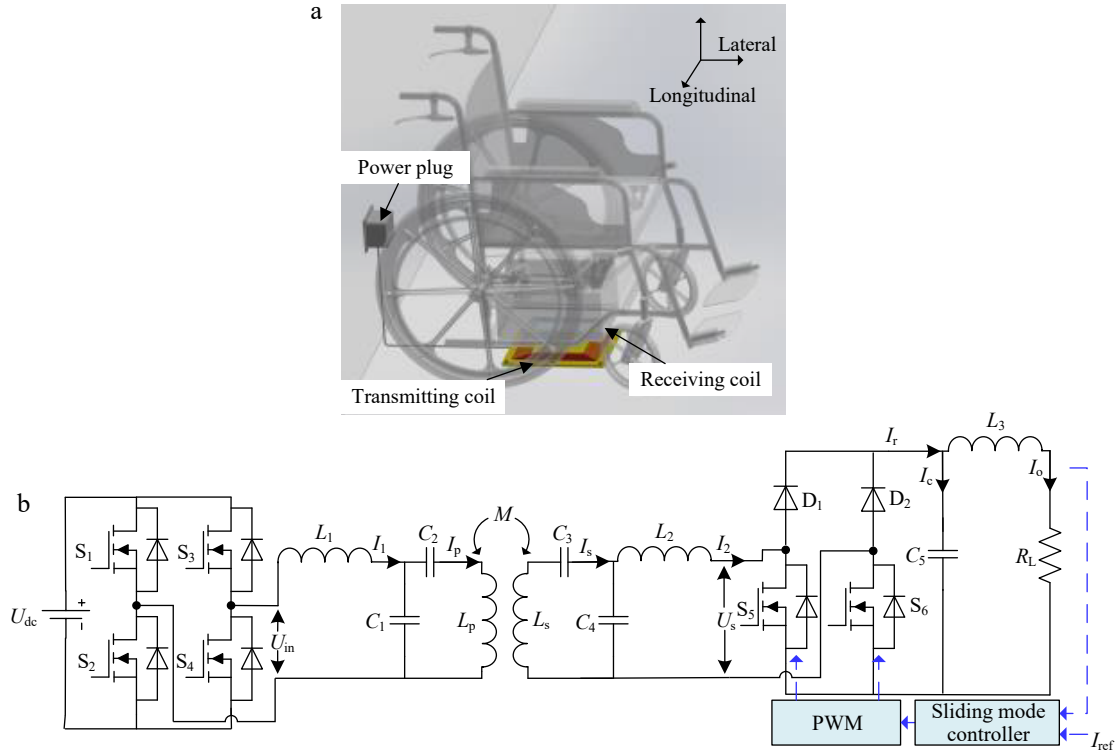
characteristics for WPT systems. SMC has been successfully implemented in typical applications within the domain of power electronic converters, exemplified by MOSFET-based voltage stabilization control for post-rectification stage loads, as well as its deployment in voltage regulation strategies for four-phase interleaved parallel boost converters<sup>[17,18]</sup>. Notably, prior research has scarcely explored the integration of SMC methodologies into rectification stages within WPT systems.

This study proposes a novel wireless charging system integrating controlled rectification with SMC to address interference mitigation in electric wheelchair applications. Distinct from primary-side phase-shift modulation and secondary-side DC-DC regulation, our strategy eliminates auxiliary power conversion stages and cross-coupling communication requirements. The SMC enhanced architecture demonstrates enhanced robustness against dynamic coil displacement while maintaining charging stability through rapid disturbance rejection. Experimental validation confirms the system's operational reliability under variable coupling conditions, establishing a foundation for practical implementation in adaptive wheelchair charging scenarios.

## System framework, circuit modeling, and analysis

### System architecture

Figure 1a shows the schematic of the electric wheelchair's wireless charging system, with a transmitting coil embedded in the power supply base and a receiving coil on the wheelchair chassis. Due to the inherent constant-current characteristics of both the transmitting coil and output, the dual-side LCC resonant topology is adopted in this study. As illustrated in Fig. 1b, the system employs a dual-side LCC resonant compensation topology featuring primary-side coil current ( $I_p$ ), and secondary-side loop current ( $I_2$ ) stabilization through coordinated resonant networks. A full-bridge inverter



**Fig. 1** Wireless charging frame for electric wheelchairs. (a) Wireless charging model. (b) The WPT system with dual-side LCC resonant compensation network.

(S<sub>1</sub>–S<sub>4</sub>) converts DC input ( $U_{dc}$ ) to high-frequency AC excitation, feeding the primary resonant network comprising series inductance  $L_1$ , parallel capacitance  $C_1$ , and series capacitance  $C_2$ . Magnetically coupled coils ( $L_p/L_s$ , mutual inductance  $M$ ) interface with the secondary network containing series capacitance  $C_3$ , parallel capacitance  $C_4$ , and series inductance  $L_2$ . Output regulation is achieved through an active rectifier (D<sub>1</sub>, D<sub>2</sub>, S<sub>5</sub>, S<sub>6</sub>) with post-filtering ( $L_3$ ,  $C_5$ ) to deliver stabilized DC to load  $R_L$ . Power regulation is achieved through synchronized switching control of S<sub>5</sub> and S<sub>6</sub>.

### Topology analysis of dual-side LCC compensation

The resonance relation of the system can be expressed as:

$$\omega_0 = 2\pi f_0 = \frac{1}{\sqrt{L_1 C_1}} = \frac{1}{\sqrt{L_2 C_4}} = \frac{1}{\sqrt{C_2 (L_p - L_1)}} = \frac{1}{\sqrt{C_3 (L_s - L_2)}} \quad (1)$$

where,  $f_0$  is the operating frequency of the system, and  $\omega_0$  is the angular frequency of the system.

The input voltage  $U_{dc}$  is converted by the inverter to output a square-wave voltage, and the amplitude  $U_{in}$  of its fundamental component is as:

$$|U_{in}| = \frac{2\sqrt{2}U_{dc}}{\pi} \quad (2)$$

It can be obtained from the KVL equation of the primary side as:

$$U_{in} = j\omega_0 L_1 I_1 + \frac{1}{j\omega_0 C_1} (I_1 - I_p) \quad (3)$$

The current  $I_p$  of the transmitting coil can be calculated from Eqs (1) and (3) as:

$$I_p = \frac{U_{in}}{j\omega_0 L_1} \quad (4)$$

It can be obtained from the KVL equation of the secondary side as:

$$j\omega_0 M I_p = \left( j\omega_0 L_s + \frac{1}{j\omega_0 C_3} \right) I_s + (I_s - I_2) \frac{1}{j\omega_0 C_4} \quad (5)$$

From Eqs (1) and (5), the rectified input current  $I_2$  can be calculated as:

$$I_2 = \frac{jM I_p}{L_2} \quad (6)$$

According to Eqs (2), (4), and (6), it can be obtained as:

$$|I_2| = \frac{2\sqrt{2}U_{dc}M}{\omega_0 L_1 L_2 \pi} \quad (7)$$

According to Eq. (7), the rectified input current  $I_2$  is independent of the load, so it has a constant current output characteristic.

### Mode analysis of controlled rectifier operation

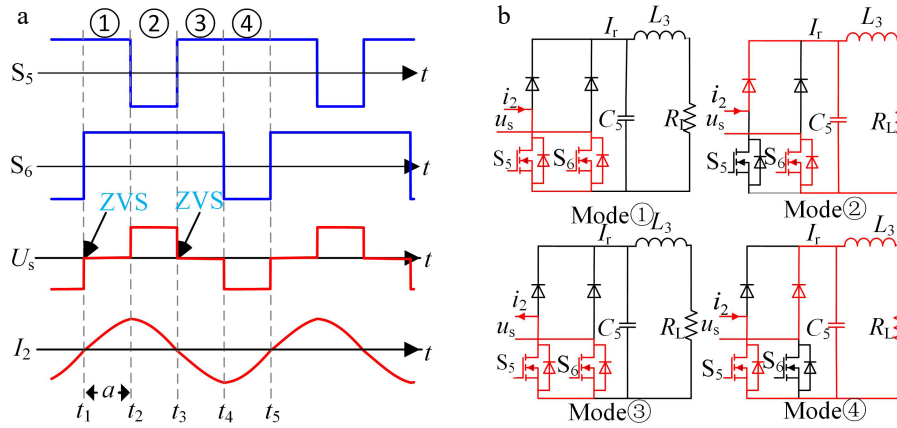
In terms of the rectifier part circuit, the duty cycle of S<sub>5</sub> and S<sub>6</sub> is adjusted to achieve the goal of controllable rectification. As shown in Fig. 2a, the switching state of the S<sub>5</sub>/S<sub>6</sub> in each cycle can be divided into four modes. 2a represents the pulse width in one cycle when the S<sub>5</sub> is on and the S<sub>6</sub> is on. Since  $\alpha$  is always greater than or equal to 0, the duty cycle range of S<sub>5</sub> and S<sub>6</sub> is 50% to 100%.

The mode of operation of each mode is shown in Fig. 2b, where  $i_2$  represents the instantaneous value of  $I_2$ .

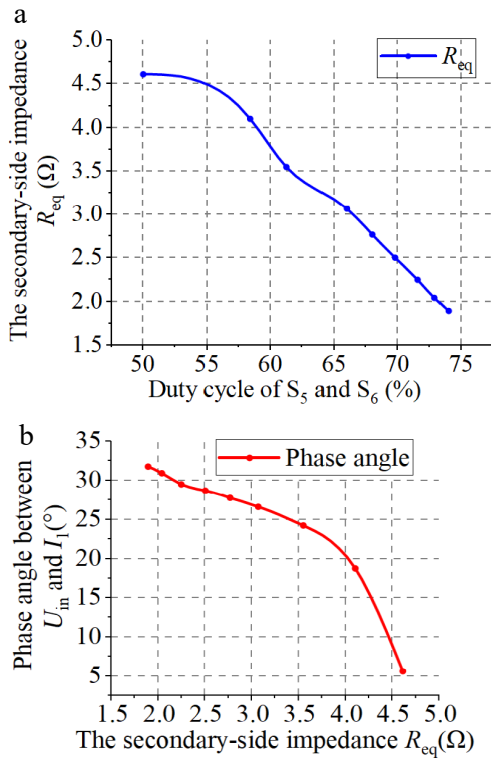
Mode ①: From  $t_1$  to  $t_2$ , S<sub>5</sub> is conducting at a high level, and S<sub>6</sub> is also conducting at a high level. Since S<sub>5</sub> and S<sub>6</sub> are both conducting simultaneously, it results in a direct short circuit, and  $I_r$  equals 0. The dual-side LCC exhibits an electrically isolated state towards the load.

Mode ②: From  $t_2$  to  $t_3$ , S<sub>5</sub> is turned off (low level), and S<sub>6</sub> remains conducting at a high level. The rectifier input current is  $I_2$ . At this stage,  $I_r = I_2$  and the dual LCC circuit operates in a charging state towards the load.

Mode ③: From  $t_3$  to  $t_4$ , S<sub>5</sub> is conducting at a high level, and S<sub>6</sub> is also conducting at a high level. The simultaneous conduction of S<sub>5</sub> and S<sub>6</sub> causes a direct short circuit, resulting in  $I_r$  being 0. The dual-side LCC again exhibits an electrically isolated state towards the load.



**Fig. 2** Mode analysis of controlled rectifier operation. (a) Pulse phase difference of the rectifier. (b) Modal circuit analysis.



**Fig. 3** Secondary-side impedance analysis. (a) Secondary-side impedance vs the duty cycles of  $S_5$  and  $S_6$ . (b) Secondary-side impedance and the phase angle  $U_{in}$  and  $I_1$ .

Mode ④: From  $t_4$  to  $t_5$ ,  $S_5$  is conducting at a high level, and  $S_6$  is turned off (low level). The rectifier input current remains  $I_2$ . At this stage,  $I_r = -I_2$  and the dual-side LCC circuit operates in a charging state towards the load.

By dynamically adjusting the duty cycle of  $S_5$  and  $S_6$ , the load charging cycle ratio can be precisely controlled, enabling current closed-loop regulation. Notably, the topology achieves Zero Voltage Switching (ZVS) in Modal ① and Modal ③ through a comparator-based zero-crossing detection circuit. This technique not only eliminates the voltage-current overlap losses associated with traditional hard switching but also recovers energy stored in the parasitic capacitance via resonance.

When a controlled rectifier is employed, the impedance characteristic of the secondary side transitions from purely resistive to a dynamically tunable complex impedance. To investigate system

behavior under varying mutual inductance coefficients between the coils, simulations were conducted. To maintain a stable output current of 5 A, the duty cycles of switches  $S_5/S_6$  in the controlled rectifier must be dynamically adjusted in response to changes in mutual inductance. As shown in Fig. 3a, experimental results reveal a negative correlation between the secondary-side impedance ( $R_{eq}$ ) and the duty cycles of  $S_5/S_6$ .

Variations in secondary-side impedance may potentially influence the ZVS performance of the system. To assess this, the phase difference between the inverter input voltage  $U_{in}$  and current  $I_1$  is monitored. As illustrated in Fig. 3b, this phase difference also shows a negative correlation with the secondary-side impedance and consistently remains no less than 5.1°. The results show that the inverter output voltage phase leads the output current, resulting in an inductive load characteristic. This inductive behavior facilitates the achievement of ZVS in the system under normal operating conditions.

The rectifier bridge output current  $I_r$  can be expressed as:

$$I_r = |I_2| \cos \frac{a}{2} = \frac{2\sqrt{2}U_{dc}M}{\pi \omega_0 L_1 L_2} \cos \frac{a}{2} \quad (8)$$

The state space representation of the output current  $I_o$  can be formulated as:

$$\begin{bmatrix} \frac{dI_o}{dt} \\ \frac{d^2 I_o}{dt^2} \end{bmatrix} = \begin{bmatrix} 0 & \frac{1}{C_5 L_3} \\ -\frac{1}{L_3} & -\frac{R_L}{L_3} \end{bmatrix} \begin{bmatrix} I_o \\ \frac{dI_o}{dt} \end{bmatrix} + \begin{bmatrix} \frac{0}{C_5 L_3} \\ \frac{I_r}{C_5 L_3} \end{bmatrix} \quad (9)$$

As derived from Eqs (8) and (9), the output current  $I_o$  can be regulated through the implementation of a controlled rectification strategy.

## Output constant current control strategy based on SMC

To achieve  $I_o$  tracking to the reference current ( $I_{ref}$ ), this study uses the tracking deviation as a state variable. The tracking deviation  $x_1$ , its rate of change  $x_2$ , and its integral  $x_3$  are defined as:

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$$\begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} = \begin{bmatrix} I_{ref} - I_o \\ \frac{d(I_{ref} - I_o)}{dt} \\ \int (I_{ref} - I_o) dt \end{bmatrix} \quad (10)$$

The control input  $u$  is defined to satisfy the following conditions:

$$\begin{cases} I_r = \frac{2\sqrt{2}U_{dc}M}{\pi\omega_0L_1L_2}\cos\frac{a}{2} = |\mathbf{I}_2|u \\ u \in [0, 1] \end{cases} \quad (11)$$

Therefore, according to Eq. (11), the following control state equation can be listed:

$$\begin{bmatrix} \frac{dx_1}{dt} \\ \frac{dx_2}{dt} \\ \frac{dx_3}{dt} \end{bmatrix} = \begin{bmatrix} 0 & 1 & 0 \\ 0 & -\frac{R_L}{L_3} & 0 \\ 1 & 0 & 0 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} + \begin{bmatrix} 0 \\ \frac{|\mathbf{I}_2|}{C_5L_3} \\ 0 \end{bmatrix} u + \begin{bmatrix} 0 \\ \frac{I_o}{C_5L_3} \\ 0 \end{bmatrix} \quad (12)$$

The sliding mode plane is designed as:

$$s = x_1 + c_2x_2 + c_3x_3 \quad (13)$$

Thus, the following equation holds:

$$\frac{ds}{dt} = -\frac{dI_o}{dt} - c_2\frac{d^2I_o}{dt^2} + c_3(I_{ref} - I_o) \quad (14)$$

The power-law reaching law has significant advantages in reducing chattering, accelerating convergence, and improving robustness<sup>[19]</sup>. Therefore, this paper adopts the power-law reaching law, leading to the following as:

$$\frac{ds}{dt} = -k|s|^r \text{sgn}(s), 0 < r < 1 \quad (15)$$

Thus, the control input  $u$  is obtained as:

$$u = -\frac{C_5L_3}{c_2|\mathbf{I}_2|}k|s|^r \text{sgn}(s) + \left(-\frac{C_5L_3}{c_2|\mathbf{I}_2|} + \frac{C_5R_L}{|\mathbf{I}_2|}\right)\frac{dI_o}{dt} + \left(\frac{1}{|\mathbf{I}_2|} - \frac{c_3C_5L_3}{c_2I_2}\right)I_o + \frac{c_3C_5L_3}{c_2|\mathbf{I}_2|}I_{ref} \quad (16)$$

The PWM duty cycle  $2a$  for driving  $S_5$  and  $S_6$  can be obtained from Eq. (11) based on the control input  $u$ , thereby regulating the output current  $I_o$ .

## Simulation analysis

To validate the correctness of the theoretical analysis and control methodology presented in this paper, a simulation model of the

**Table 1.** System circuit parameters.

Parameters	Values	Parameters	Values
$U_{dc}$	50 V	$L_s$	44.9 $\mu\text{H}$
$C_1$	133.3 nF	$C_4$	241.2 nF
$C_2$	82.2 nF	$C_5$	100 $\mu\text{F}$
$L_1$	19 $\mu\text{H}$	$L_2$	10.5 $\mu\text{H}$
$C_3$	76.8 nF	$L_3$	4.7 $\mu\text{H}$
$L_p$	49.8 $\mu\text{H}$	$R_L$	5.3 $\Omega$

dual-LCC topology circuit diagram illustrated in Fig. 1a was established in MATLAB/Simulink. The simulation parameters correspond to those specified in Table 1 of the experimental section. The system frequency  $f_0$  was maintained at 100 kHz by controlling  $S_5/S_6$  in the inverter, fulfilling Eq. (1) for constant-current WPT operation. The output current  $I_o$  sampling frequency was set to 1 kHz.

For electric wheelchair wireless charging simulations, practical complexities were considered: Mutual inductance between coils varies dynamically. With  $I_{ref} = 5$  A and initial  $M = 16$   $\mu\text{H}$ , abrupt  $M$  increases at specific times were simulated to mimic real-world conditions.

The simulation results of the WPT system using SMC are shown in Fig. 4. In Fig. 4a, when  $M$  suddenly shifts to 18.67  $\mu\text{H}$  with an initial value of 16  $\mu\text{H}$ , the SMC enables the system to reach a stable state rapidly with a minimal steady-state error. In contrast, the PI control, though achieving stability eventually, takes much longer. At 0.03 s, with  $M$  at 18.67  $\mu\text{H}$ , SMC outperforms PI control in restoring system stability faster, driving the output current close to 5 A. Fig. 4 depicts the scenario where the  $M$  changes to 21.33  $\mu\text{H}$  at 0.03 s from 16  $\mu\text{H}$ . SMC prompts a quick response, achieving system convergence and stable operation promptly, with a precisely controlled low steady-state error. Conversely, PI control has a sluggish adjustment, taking more time to reduce deviations and leaving a significant steady-state error. In Fig. 4c, when  $M$  jumps from 16 to 24  $\mu\text{H}$  at 0.03 s, SMC swiftly converges to the steady-state error and stabilizes the system. However, PI control shows instability, with the steady-state error diverging and deviating from the expected value.

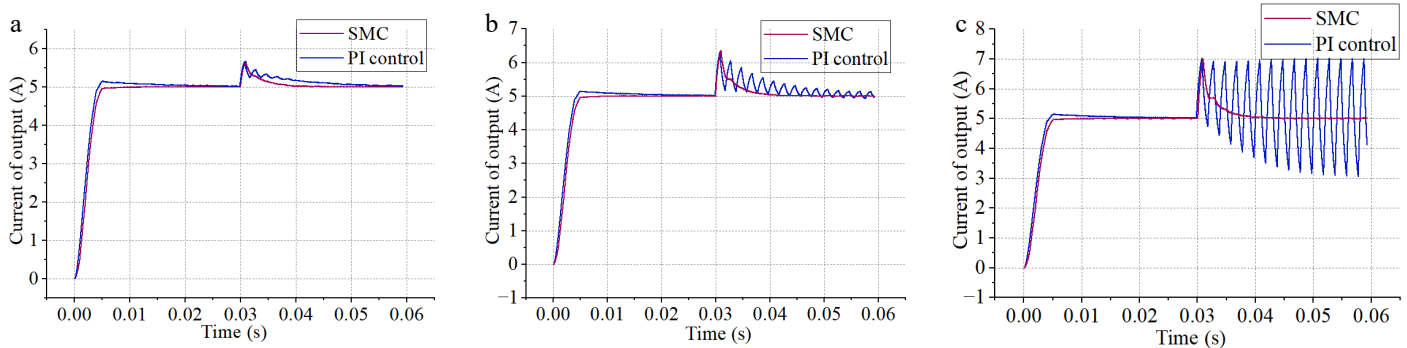
The simulation results demonstrate that SMC outperforms PI control in electric wheelchair wireless charging systems. SMC achieves faster stabilization and shorter disturbance-induced instability periods. Its superior disturbance rejection ensures stable charging processes under significant coupling coefficient perturbations, maintaining minimal steady-state deviations.

## Experimental verification

### Experimental setup

The experimental setup of the electric wheelchair wireless charging system is shown in Fig. 5, and the experimental circuit parameters are shown in Table 1.

At the transmitter side, the DC power is converted to high-frequency AC by a full-bridge inverter, operating at a frequency of 100 kHz. At the receiver side, the system uses a CPLD to adjust the duty cycle of two MOSFETs via a driver chip, to regulate the load current of the rectifier bridge. The system is designed with a target output current  $I_{ref}$  of 5 A to charge a 24 V, 10 Ah lead-acid battery pack, with an approximate charging duration of 2 h.



**Fig. 4** Comparison of simulation results of SMC and PI control. (a)  $M$  suddenly changes to 18.67  $\mu\text{H}$ . (b)  $M$  suddenly changes to 21.33  $\mu\text{H}$ . (c)  $M$  suddenly changes to 24  $\mu\text{H}$ .



## Experimental results

The corresponding operational waveforms are presented in Fig. 6. In Fig. 6a, the inverter output current  $I_1$  lags the voltage  $U_{in}$ , indicating an inductive system that supports ZVS. The RMS currents for the transmitter and receiver coils are 3.62 and 3.75 A, respectively. In Fig. 6b, the rectifier input voltage includes zero-voltage periods within each cycle. When switches  $S_5$  and  $S_6$  conduct synchronously, the rectifier enters a short-circuit regulation mode, where the output current is dynamically controlled to 5 A by adjusting the conduction duration of  $S_5$  and  $S_6$ .

After the system stabilizes, the DC input voltage  $U_{dc}$  increases from 50 to 70 V, simulating a sudden decrease in coil spacing during wireless charging for an electric wheelchair, leading to a 40% increase in the mutual inductance coupling coefficient. Due to the difficulty in precisely controlling the coil spacing and the susceptibility of the experiment to environmental interference, accurately adjusting the coupling coefficient between coils presents significant challenges and potential safety risks. According to Eq. (8), both the mutual inductance  $M$  and input voltage  $U_{dc}$  have the same linear

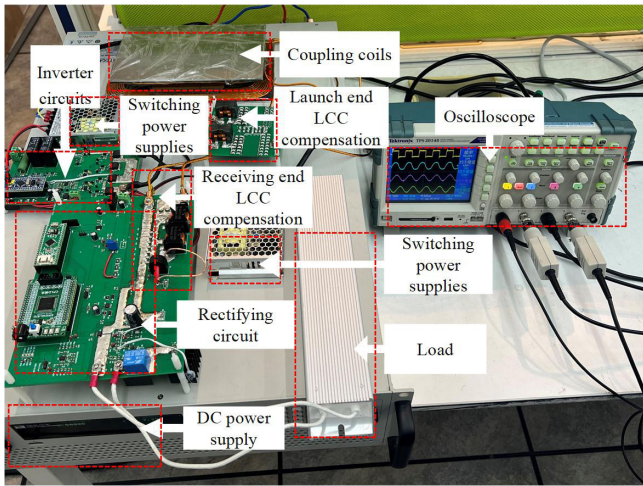


Fig. 5 Experimental prototype.

effect on the  $I_r$ . Therefore, increasing  $U_{dc}$  to emulate the effect of enhanced magnetic coupling resulting from reduced coil spacing is an effective and safer experimental approach. The performance of PI control and SMC is compared in Fig. 6c, d. SMC significantly outperforms PI control in both dynamic response and steady-state accuracy. Specifically, SMC reduces the settling time to 280 ms (68.6% faster than PI control) and achieves a steady-state error of 80 mA (68% less than PI control), while PI control has a settling time of 890 ms and a steady-state error of 250 mA. The results show that SMC, with its variable structure, ensures fast response and minimizes steady-state fluctuations, demonstrating superior robustness and precision.

## Offset analysis

Figure 7a shows that the system maintains a 5 A charging current when the lateral offset is less than 4 cm or the longitudinal offset is less than 2 cm. Beyond these critical values, the charging current decreases. Fig. 7b illustrates the DC-DC efficiency as a function of offset distance, which remains above 80% within a 3 cm lateral or longitudinal offset range. Within the controllable offset range, system efficiency increases as the coil offset grows. This occurs because the reduced lateral offset shortens the conduction time of the short-circuit loop formed by  $S_5$  and  $S_6$ , thereby reducing reactive power circulation and associated losses, such as switch conduction losses and inductor copper losses, when no power is delivered to the load, ultimately improving system efficiency. However, the resonant inductor adopted in this system has an extremely low internal resistance of approximately 7 mΩ, and the on-resistance of the power switching transistors is also very low at 89 mΩ. Therefore, the conduction of  $S_5$  and  $S_6$  has a minimal impact on the system efficiency. When the offset exceeds the controllable range, the system enters an abnormal state, causing the load current to drop below the critical value and sharply reduce efficiency.

In summary, the magnetic coupler can maintain a rated 5 A charging current when the lateral offset is less than 4 cm or the longitudinal offset is less than 2 cm, with the DC-DC efficiency remaining above 80%. The 27 W total system power loss at 135 W output originates from conduction/switching losses in power switching tubes,

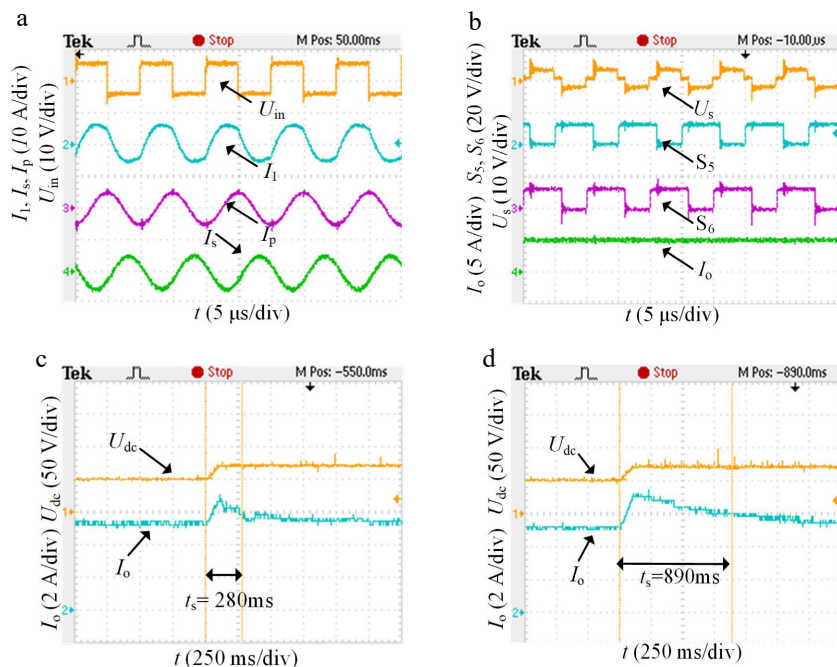
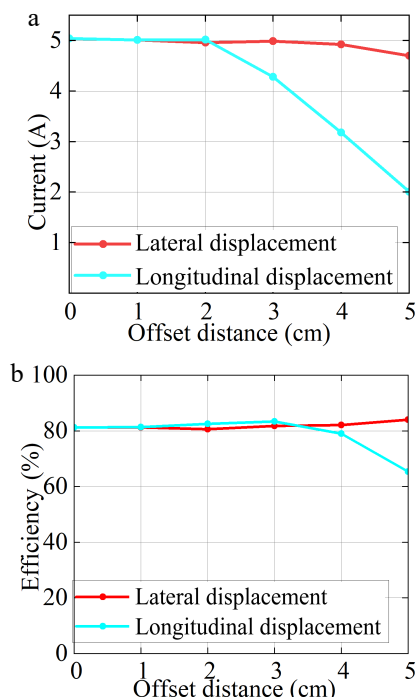


Fig. 6 Experimental waveforms. (a) Inverter output voltage current and coil current. (b) Controllable rectifier.



**Fig. 7** Offset results. (a) Relation between output current and offset distance. (b) Relation between DC-DC efficiency and offset distance.

forward voltage drops in diodes, inductive winding/core dissipation, capacitor ESR parasitic, and other power losses (line impedance-induced auxiliary losses). Loss distribution proportions are detailed in Fig. 8.

### Comparison with previous wireless charging systems

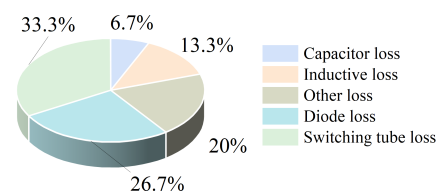
As detailed in Table 2, compared to communication-dependent topologies such as the phase-shifted full-bridge inverter<sup>[20]</sup>, primary-side DC-DC converter<sup>[22]</sup>, and dual-side phase-shift control<sup>[23]</sup>, the controlled rectifier scheme proposed in this work does not require a communication link. Therefore, the proposed system can simplify system design and control strategies, reduce implementation complexity and communication costs, and improve overall reliability and scalability.

In contrast, while the secondary-side DC-DC converter structure also operates communication-free, it utilizes three converters<sup>[21]</sup>. The proposed method achieves comparable system performance using only two converters, thereby reducing hardware requirements and improving system integration and cost-effectiveness. In summary, the proposed topology offers distinct advantages in communication-free operation, minimal converter count, and simplified control.

### Conclusions

This study develops a wireless charging system for electric wheelchairs using controllable rectification and SMC to maintain constant-current output under coupling coil misalignment or distance variations caused by dynamic user behavior. Experimental validation shows SMC reduces regulation time by 68% (280 ms vs 890 ms) vs PI control under 40% coupling coefficient step changes, demonstrating enhanced robustness and dynamic response.

The key innovations of this work include a controllable rectification strategy that simplifies the system topology while reducing energy loss and eliminating communication requirements between primary and secondary sides, along with a sliding mode control approach that offers robust disturbance rejection and rapid



**Fig. 8** Power loss ratio of each part of the circuit.

**Table 2.** Comparison with previous controlled circuit topologies.

Ref.	Controlled circuit topology	Communication	Number of converters
[20]	Phase-shifted full-bridge inverter	Yes	2
[21]	Secondary-side DC-DC converter	No	3
[22]	Primary-side DC-DC converter	Yes	3
[23]	Dual-side phase-shift control	Yes	2
This article	Controlled rectifier	No	2

dynamic response to ensure system stability and quick adaptation to operational variations.

This study proposes a sliding-mode-controlled rectification method to address coupling coil misalignment or distance variations challenges in wireless charging systems for electric wheelchairs. The methodology demonstrates industrial potential for assistive mobility devices and extends applicability to automotive and UAV charging systems.

### Author contributions

The authors confirm their contributions to the paper as follows: study conception and design: Feng T, Yang J; experimental setup construction: Zhang J, Ren Y, Yang J; draft manuscript preparation: Yang J, Feng T, Tang L. All authors reviewed the results and approved the final version of the manuscript.

### Data availability

The data that support the findings of this study are available from the corresponding author upon reasonable request.

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### Conflict of interest

The authors declare that they have no conflict of interest.

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